A Simple and Novel Method to Analyze the Fine Texture of Biomaterials: Applications for Product Design, Manufacturing and Preclinical Assessment

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Abstract

We introduce a novel software-based algorithm for texture mapping in two-dimensional images. Using shape-based modeling segmentation (SBMS) based on scale- and angle-invariant Bézier curves, direct optical digital images can be analyzed. The simplicity of this novel approach is in sharp contrast to conventional techniques based on laser scattering or light polarization at the microscopic level or second harmonic generation microscopy. These techniques are technologically complex and spatially limited to the microscopic scale. As an illustration of the simplicity and versatility of our platform, we used direct bright field optical images of glutaraldehyde-treated porcine pericardium used in the manufacturing of many bioprosthetic implants, including artificial heart valves. Auditable data describing collagen fiber content, orientation (color-encoded maps), and organization are generated as a relational database. Heart valve (HV) leaflets are subject to significant strains in vivo. Early failure and limited durability have been characteristic of bioprosthetic HV. Despite an early description of the importance of collagen fiber orientation, thickness-guided tissue sorting is the basis for current qualification algorithms. We present a new, fully customizable software solution for the objective, and auditable numerical characterization of collagenous biomaterials using computerized image analysis. This new tool provides a practical, rapid, and cost-effective solution for testing micro structural organization of biomaterials against bench top or in-vivo models and optimizes the qualification, area selection, use polarity and fashioning of naturally derived collagenous products, with the ability to customize cutting paths for automated processing of the biomaterial and manufacturing of devices, including heart valves. One of the most important applications is in affording a method to characterize the structure of biomaterials on a large scale for research as well as production. The potential applications of the Bezier encoding of images is not limited to fiber texture analysis and can potentially revolutionize feature identification and image semantics in life sciences.

Keywords: Bézier curves; collagen; fiber; orientation; pericardium; texture mapping
Introduction

Bézier curves are a well-established mathematical and convenient model for representing smooth curves. They have several advantages over alternative methods. Namely, they can be represented with just a few mathematical points, called "control points."

Movements of the control points modify the shape of the corresponding Bézier curve in a predictable and intuitive way. Their characteristics are well understood, having been used and studied widely in the nearly 60 years since they were invented. Bézier curves have become a de facto standard for curve representation in many drawing and drafting applications. We are using cubic Bézier curves in our algorithm. Each Bézier curve is represented by a pair of polynomials of the third degree, where \( n \) is the degree of the polynomial, \( t \) is a parameter that runs from 0 to 1 inclusive, and \( P \) is a 2-vector representing a point on a plane having the form:

\[
B(t) = \sum_{i=0}^{n} \binom{n}{i} (1-t)^{n-i}t^i P_i
\]

For cubic order, this expression expands to these two polynomials on \( t \):

\[
f_x(t) = (1-t)^3P_0 + 3t(1-t)^2P_1 + 3t^2(1-t)P_2 + t^3P_3
\]

\[
f_y(t) = (1-t)^3P_y + 3t(1-t)^2P_{y1} + 3t^2(1-t)P_{y2} + t^3P_{y3}
\]

The polynomial nature of Bezier conveys very useful characteristics. Because they are continuous functions on \( t \), the first and second derivatives of the Bézier curve are guaranteed to be defined everywhere on \( t \). This allows us to bring the power of Calculus to everything that follows. Specifically, we can calculate the slope, angles, normal (perpendicular) to any point on the Bézier, endpoint angles, the radius of curvature, and point of intersection between an arbitrary line and the Bézier, among other useful calculations. Therefore, we can use the Bézier as an architectural framework for the construction of more elaborate object models, knowing that each step is supported by a solid mathematical foundation.

What is particularly unique about the approach used in this paper is the methodology built into the algorithm that applies Bézier curves derived from the original image pixels at multiple sensitivity thresholds and resolution levels. Essentially, this enables a Bezier-based representation of objects and areas of interest in a manner that is scale- and angle-invariant; these characteristics being mathematically and reproducibly "hard-wired" into the image Bezier abstraction. The parametric generating polynomials can be evaluated using a real number (in the form of double-precision floating-point values) and for that reason can be said to exist at infinite resolution. The polynomials can, therefore, be evaluated at a scale-independent of ground-truth pixels from which they are derived. This has several important implications, one of which is that the algorithm can be used to resample the ground-truth image and by so doing accomplish synchronous detection and other types of measurement similar to those obtained by using phase-locked loop technology in digital signal processing applications. We believe this methodology closely replicates key elements of the mammalian visual cortex, in the sense that we can emulate the exceptionally large dynamic range that is an important characteristic of the visual system of higher animals [1,2,3,4]. Bézier curves, as we are implementing them, can be understood and used as another unit value or "pixel of higher-order" on the ladder of image abstraction, i.e., a unit possessing characteristics of shape, direction, and gradient, and reflecting the morphology of underlying objects as a result of the continuous mathematics that governs physical phenomena such as for instance surface tension and modulus of elasticity.

Bézier curves are mathematical functions that are expressed in a way that makes it comparatively easy to fit them to and characterize real shapes using "control points.” They take the form of polynomials having coefficients that are derived from the position of the control points. Bézier curves in two dimensions are described in “parametric form,” as two polynomials, each in a parameter traditionally identified as \( t \). One of the polynomials expresses the \( x \)-coordinate of one point on the Bézier as a function of \( t \), the other polynomial expresses the \( y \)-coordinate of the point as a function of \( t \). Because they are in parametric form, the function that describes a given Bézier curve need not be of the form of a mathematical function \( y = F(x) \).

In the following figure (Figure 1), Curve ‘A’ represents a mathematical function of the form \( y = F(x) \). Note that the function \( F(x) \) maps each point on the \( x \)-axis to exactly one point on the \( y \)-axis. Curve ‘B’, on the other hand, which is simply a copy of curve A rotated through 90°, is not a function in the form \( y = F(x) \); this can be seen by observing the vertical red line, which intersects the curve at two distinct values of \( y \) for the same \( x \).
Bézier curves circumvent this problem by means of parameterization. Each Bézier curve is represented by two separate polynomials of the same order (in our case, that is third-order or cubic) that are coupled by both being expressed in terms of the same independent variable (or parameter) \( t \). One polynomial gives the value of \( x \) in terms of \( t \), the other gives the value of \( y \) in terms of \( t \). This can be succinctly expressed as follows: \( y_t = F_y(t) \) and \( x_t = F_x(t) \). This makes Bézier curves uniquely suited for describing general edges in images because the locus of points \([F_x(t), F_y(t)]\) with \( 0 \leq t \leq 1 \) can contain intervals that are vertical and thus multi-valued on the x-y plane, as shown in Figure 2 below at point \( M \):

![Figure 2. Bezier curve generated by the four control points \( P_0, P_1, P_2, \) and \( P_3 \). At point \( M \), the curve "goes vertical," and is thus multi-valued on the x-y plane.](image)

This cubic Bezier curve is generated by the four control points \( P_0, P_1, P_2, \) and \( P_3 \). At point \( M \), the curve "goes vertical," and is thus multi-valued on the x-y plane.

Our novel image analysis technique converts ground-truth pixels, generated by conventional image sensors, into Bézier curves of cubic (third) order. We chose the cubic order for several reasons. Cubic Béziers can be used to accurately model elliptical objects around their entire circumference using only four Béziers; to achieve the same accuracy with quadratic Béziers, eight are required. Popular drafting programs (such as MS Paint and Gimp) use cubic Béziers as the foundation of their "curve" tools. Cubic Bézier curves are relatively easy to fit sets of points.

### Materials and Methods

#### Specimen Imaging

To demonstrate the simplicity of deployment and flexibility of the method we selected to image a large specimen (bovine pericardium) using conventional bright field optical photographic techniques. The pericardium was harvested fresh, gently stretched flat and fixed with an aqueous solution of 3% glutaraldehyde. An area of the specimen approximately 8x8cm was photographed using either a Keyence VHX6000 stereomicroscope under bright field top illumination immersed in saline to avoid reflective highlights (Figure 3a) or using a Nikon D90 prosumer digital camera fitted with a Nikon macro lens (150mm 1:2.8) exposed in a daylight light box on a blue background. (Figure 3c). The images were saved as Tagged Image File Format (TIFF) and directly encoded using our Bezier algorithm (Figures 3b and 3d).

#### Bezier Curve Encoding

Our approach to fitting Bézier curves to images involves several proprietary steps, but in general, proceeds as follows. First, it identifies edges by means of a slope threshold detection algorithm. This algorithm operates in four directions (up, down, right, and left). It is similar to a blob detector on a "delta image," meaning an image made up of the first spatial derivative of the brightness of the ground-truth image. Next, we identify those edges that are "continuous enough" to justify the effort (in CPU cycles) of being mathematically fitted by a Bézier curve. Fitting the Bézier curve to the points in those "smooth enough" edges is accomplished using one of several conventional Bézier-fit algorithms; the choice of which to use is made according to the shape characteristics of the "smooth enough" edge. Finally, for each set of continuous points, we select one of several algorithms to find the best fitting Bézier curve.

Bézier curves offer a unique and powerful object model for recognizing and characterizing collagen fibers. They fit well to individual fibers and can be used to characterize fibers by length, shape, as well as how straight or curved individual or groups of fibers are organized at a given scale. Using Bézier curves, other extraneous tissue elements can be filtered out of the image. They also offer a framework for advanced photometry on individual fibers, on groups of fibers, and on the tissue surrounding each fiber. Bézier curves allow for very accurate characterization of the directionality of individual fibers endpoint-to-endpoint or averaging of instantaneous direction along the entire curve. Bézier curves can henceforth be displayed by overlay in the image analyzed and color-coded for selected attributes (angle distribution, curvature, length, etc.) creating visually intuitive heat maps (Fig-
ures3b and 3d coded for polar coordinates).

**Results**

Bézier curves derived for use in this paper were obtained at multiple thresholds and multiple resolutions that are scale and angle invariant. We call the methodology used to collect this data "Shape-Based Modeling Segmentation" (SBMS). The SBMS methodology presented in this paper is designed to collect and save data into an industry-standard relational database. This data allows for the creation of a powerful auditable framework that is transparent and auditable both at the database level and in the image itself (Figure 3 a-d).

![Figure 3a-c. Preparation and Imaging of Bovine Pericardium.](image)

Bovine Pericardium was fixed in 3% glutaraldehyde and imaged with a Keyence VHX6000 stereomicroscope (1a) or on a light box and blue background with a prosumer camera (Nikon D7000) fitted with a macro lens (1c). Figures 1b and 1d show the Bezier overlay with a color coding for angle distribution (see Figure 2).

Our Bezier encoding produces fully auditable datasets that may be analyzed for any of the constitutive properties (curvature, length, density, angle, etc.). For instance, angle distributions can be color-coded according to polar coordinate intervals as shown in (Figure 4). The data can be exported, analyzed and graphed (Figures 5a-b). Additionally, Beziers can be filtered for specified sets of value for any of the parameters (for instance polar coordinates). Fiber orientation can be filtered according to a pair of preferred coordinates in order to identify regions of the specimen that display bipolar (orthogonal in this case) or-
Figures 5A and 5B. Examples of the type of data that can be collected from the image database using a Python charting library designed for life sciences.

Figure 5B. Bézier curves by Angle for Bovine Pericardium Tissue. The frequency of Bezier by a polar angle is displayed; the X-axis represents the polar position from 0-180 degrees and the Y-axis is a count of Bezier. The graph shows discrete peaks denoting the dominant orientation of collagen streams in the specimen.

Figures 5A and 5B. Examples of the type of data that can be collected from the image database using a Python charting library designed for life sciences.

Discussion

Collagen texture or collagen fiber orientation dictates the mechanical properties of tissues (tensile strength, stiffness, flexibility, etc.) [5,6]. Very few studies have actually correlated fatigue performance and collagen orientation [30]. Characterization of the texture of collagenous implants and of collagen fiber orientation has been approached through laser-based optical imaging such as small-angle light scattering (SALS) [6,7,8] or histologically using complex imaging modalities and advanced mathematical models [6,9,10,11,12,13]. Histological approaches have relied on histochemistry such as Picrosirius red stain in combination with circular polarization [14,15], Herovici stain [16], immunohistochemistry, high-resolution radiography, electron microscopy [17], etc. Second-harmonic generation microscopy (SHG) has been considered to be the gold standard and enables direct texture visualization of collagenous tissues without the need for complex or labor-intensive tissue preparation steps [10,13,18,19,20-27]. SHG equipment is sophisticated and expensive. It does generate tomographic images (3D) but has a limited field of view in the few microns to a few hundred microns. Mueller Polarimetry (MP) is simpler and cheaper to deploy but relies on Picrosirius staining and is also limited spatially to microscopic fields or multiples of stitched microscopic fields [4].

One of the great advantages of our approach is that it is scaled independently and can be used on any imaging platform, ranging from macroscopic to microscopic and nanometric scale using optical (bright field), fluorescence or radiographic modalities. Thus, bioprosthetic implants derived from natural products such as bovine or porcine collagen (e.g. bovine pericardium) can be analyzed for collagen fiber orientation using direct optical photo imaging. Care must be taken to minimize imaging artifacts such as material folds or reflections and highlights such that under optimal illumination the contrast features of the image do represent the collagenous fiber texture.

Our approach presents one major difference from other image analysis techniques that rely on azimuthal orientation analysis, first-order statistics (FOS) or second-order statistics such as grey level co-occurrence matrices (GLCM) [15]. Current azimuthal mapping techniques are derived from direct visualization of collagen fibers (e.g. SHG) or indirect visualization of a bound dye (PSR and MP). The orientation vectors of individual fibers are dependent upon the length of the structural element (Strel) applied [11]. Our approach is based on a scale-invariant and orientation independent best fitting of mathematically defined curves (Beziers). As such they offer a level of abstraction (i.e. encoding) and manipulation not available through other imaging and modeling modalities, supporting filtration of the data based on length, curvature, strength and relational parameters between adjacent curves. FOS texture analysis relies on gray tone distribution of pixels intensity [5,20], and ignores inter-pixel correlations [13].

Transform methods such as Fourier transform analysis are the current gold standard for extracting texture and pattern analysis, Fourier transform is most apt at extracting only one angle for a whole pattern [30,31]. Wavelet transform analysis is able to differentiate between three and only three main directions [30,31,32] and does so on a pre-defined region of interest (scale-dependent).

Whereas all the approaches listed above are useful in detecting and measuring texture parameters (is a fibrillar texture
present and how strong it is) they are limited in the number of
directions or vectors that can be identified and do not offer any
means to mathematically represent or “encode” the spatial dis-
tribution of fibers in a scale-independent manner within regions
of interest or query the field for specific fiber arrangement or
texture patterns that might be of interest for biomedical device
design. The paradigm-changing power of the Bezier encoding of
digital images is its transformation of the pixel arrangement (i.e.
digital image) into a mathematical map of contrast gradients and
edges and to do so in a reproducible way that is quantifiable for
multiple characters such as curvature, strength, length, relative
distributions, etc., and most importantly is independent of scale
and color values.

Collagenous matrices used for biomedical implant ap-
aplications as well as any products involving fibrillar matrices are
usually not well characterized for texture parameters and there-
fore the correlations between specific texture features and clin-
cal outcomes (i.e. durability, biomechanical properties, calcifica-
tion, and integration) are poorly characterized. Recent advances
have established a strong correlation of collagen fiber orienta-
tion and dispersion to tensile strength and fatigue performance
of bovine pericardium [6]. Our texture mapping tool provides
the means to begin exploring these correlations on a large scale
using readily available imaging modalities and thus foreshadow
advances in biomaterial sciences that will improve clinical out-
comes. An example of a practical solution would be the selection
of particular regions of a biomaterial intended to be used in the
manufacture of a medical device according to certain angular
values of collagen fiber orientation (monopolar or multipolar).
The techniques herein described are easy to deploy and can be
semi-automated and therefore make it possible to search for the
desired pattern in material and establish objective qualification
criteria for improved outcomes. These techniques can also be of
practical use in the manufacturing process through automation
of sampling using cutout tools that follow the guides established
through pattern analysis (Figure 7).

Several similar studies have been conducted in the area
of computational analysis of digital imagery for characterization
of angular alignment, particularly as it relates to quality control
in carbon fiber composite structures [1,2]. The work done so
far in this field is either based on machine learning (ML) of a
training set consisting of a large number of “properly arranged”
fiber arrangements in which the machine vision algorithm then
detects deviations from the training set, or on an inverse-space
analysis of the image that identifies angular distribution by av-
eraging a large number of fiber optical responses in the spatial

decision of regions matching certain texture parameters. The
frequency domain; this method generates statistical information
giving angular distributions without identifying the angles of in-
dividual short fibers and does not display that data as an overlay
on the actual fibers.

A large study was done on the three-dimensional orga-
nization of fiber-like structures [3], but this used SHG micros-
copy to obtain ground truth angle distribution information and
then used computational methods to organize and present the
results.

Upon close examination of the literature, we conclude
that our method is unique in its detection of individual short
fibers and in its modeling of each fiber as a polynomial function
(Bezier curve) as described earlier, in its direct measurement
of the angle of these Bezier curves by means of a line segment
mathematically connecting the endpoints of each Bezier curve,
by the removal of background texture artifacts by direct seman-
tic analysis of the edges arising from these artifacts, and by the
use of a relational database to receive the results and make them
available for sorting, querying, and presentation in a variety of
forms for different purposes.

The methodology proposed provides an opportunity to
collect a whole new class of data faster and more inexpensively,
with opportunities to extend the methodology into several im-
portant sub-disciplines by collecting previously unavailable data
and storing that data in the form of a relational database for fur-
ther analysis.

The texture mapping tool that we are presenting is not
limited to the characterization of fibrillar matrices or collagenous
matrices but can also be used to characterize vascular networks
as well as tissue stroma and architecture, cellular or sub cellular features at the microscopic level.

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References


